

# Modeling unsignalized intersections at macroscopic and microscopic scales: issues and proposals

**Estelle CHEVALLIER**  
**Ludovic LECLERCQ**

LICIT, Laboratoire Ingénierie Circulation Transport  
(INRETS/ENTPE)

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## On-field data

### ■ Free-flow



- search for acceptable headways



gap-acceptance theory  
Grabe (1954), Harders (1968),  
Siegloch (1973)

### ■ Congested



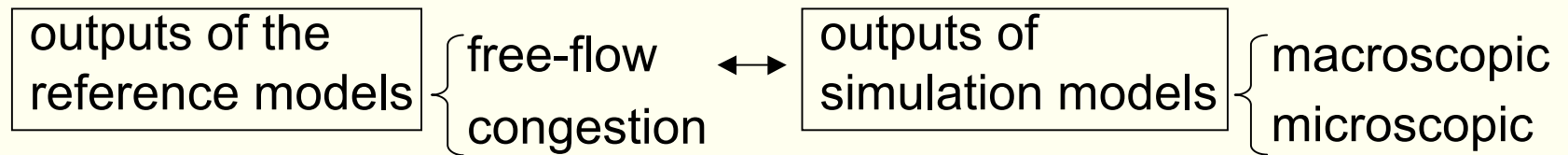
- no respect of the give-way rule (Troutbeck, 2002)
- alternating behaviour between both streams (Cassidy and Ahn, 2005)



supply-demand framework  
Daganzo (1995), Lebacque (1996, 2003),  
Jin and Zhang (2003)

# Reference outputs for evaluation

- Goal:



- Choice of the outputs:

- steady-state level

- capacity curve:

- dynamic level

- dynamic flow allocation:  $(q_1, q_2) = \phi(\Delta_1, \Delta_2)$   
 $= (\phi_1(\Delta_1, \Delta_2), \phi_2(\Delta_1, \Delta_2))$

- delays:  $d(\Delta_1, \Delta_2)$

## Reference model in free-flow regime

### GAP-ACCEPTANCE MODEL

- headway distribution:  $f(t)$
- insertion rules → no. of insertions within a headway  $t$ :  $g(t)$
  
- capacity curve:
  
- dynamic capacity allocation:
  - priority to major road
  
- delay formula: accounting for randomness in arrivals and service times

## Reference model in congestion

### DEMAND-SUPPLY FRAMEWORK

- optimization in capacity ( $\Omega$ ) allocation
- priority ratio  $\gamma$
- capacity curve:
- dynamic capacity allocation:
  - shared priority/priority to minor road
- delay formula: deterministic arrivals and service times

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Goals of this study

| Benchmark models             | Simulation tools  |  |
|------------------------------|---|--|
|                              | microscopic   | macroscopic  |
| free-flow:<br>gap-acceptance | classical<br>microscopic models                                 | no delay when $\Delta_2 < C(\Delta_1)$<br>no dynamics in<br>queue length |
| congested:<br>demand-supply  | no insertion when $\Omega$<br>too low<br>$q_1/q_2$ not constant | Daganzo's model<br>(1995)  |

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

# MICROSCOPIC SIMULATION MODELS

## Issues in free-flow

- Simulation time-step  $\Delta t =$  scanning frequency
  - inconsistent capacity estimates!
- Assessing insertion rules within  $\Delta t$ : as done in classical microscopic models
  - capacity estimates independent on  $\Delta t$
  - simulated capacity and delays in agreement with the benchmark model

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Issues in congestion

simulation time-step → numerical viscosity

errors in vehicle's trajectories

errors in the insertion decision process

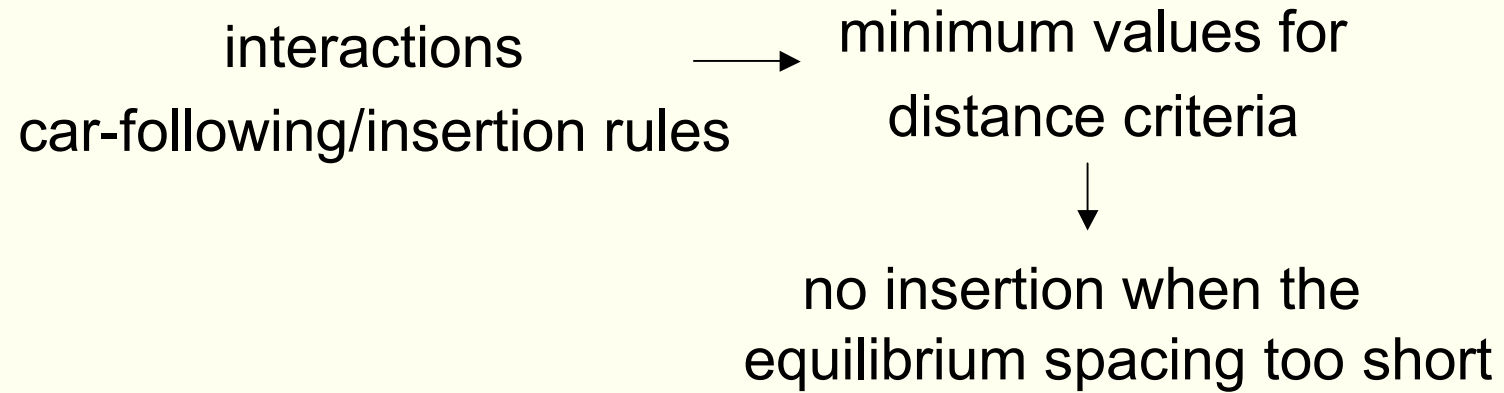
Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Issues in congestion



Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Issues in congestion

---

➤  $q_1/q_2$  depends on  $\Delta t$

➤ lack of available spacings  
when  $\Omega$  decreases

Reference models  
free      cong.

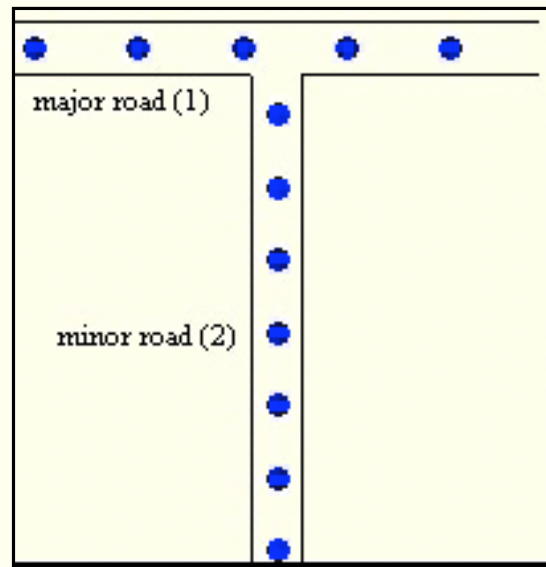
Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Proposal for a solution

- Decorrelation between the car-following algorithm and the insertion rules
  - Bernoulli process at each  $\Delta t$  of probability:  $\Phi_2(\Delta_1, \Delta_2) \Delta t$
  - relaxation model (Laval and Leclercq, 07; Cohen, 04)



- insertion even if short spacings
- $q_1/q_2$  independent on  $\Delta t$

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

# MACROSCOPIC SIMULATION MODELS

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## In congestion

- In macroscopic models: easy to implement the demand-supply framework through a distribution scheme
- Daganzo's model (1995): well adapted!
  - invariance principle (Lebacque and Khoshyaran, 1996)
  - capacity sharing
- simulated capacity and delays in agreement with the benchmark model

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Issues in free-flow

- Stochastic interactions between vehicles are not taken into account

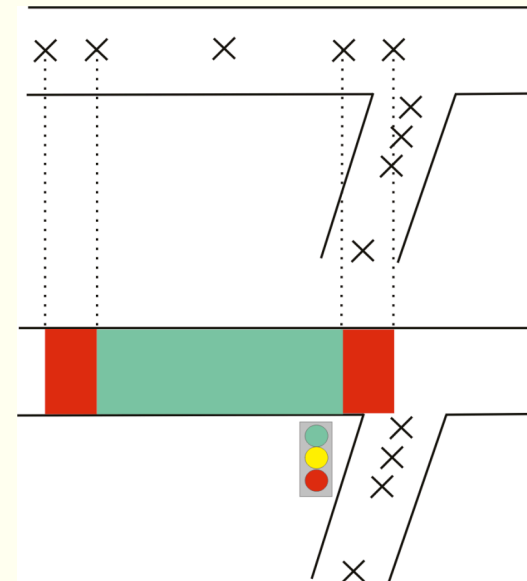
accurate average delay  
but no dynamics in queue length



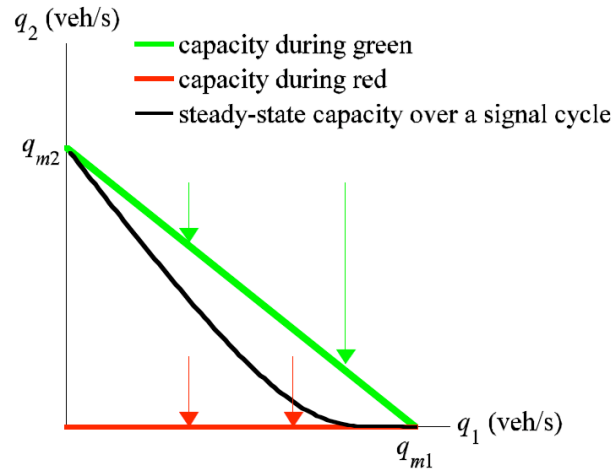
no delay ←

## Proposal for a solution

- Modeling the average effects of a stochastic gap-acceptance process through a fictive traffic light (Chevallier and Leclercq, 2007)
  - average period available for insertion=green
  - average period of blocks=red

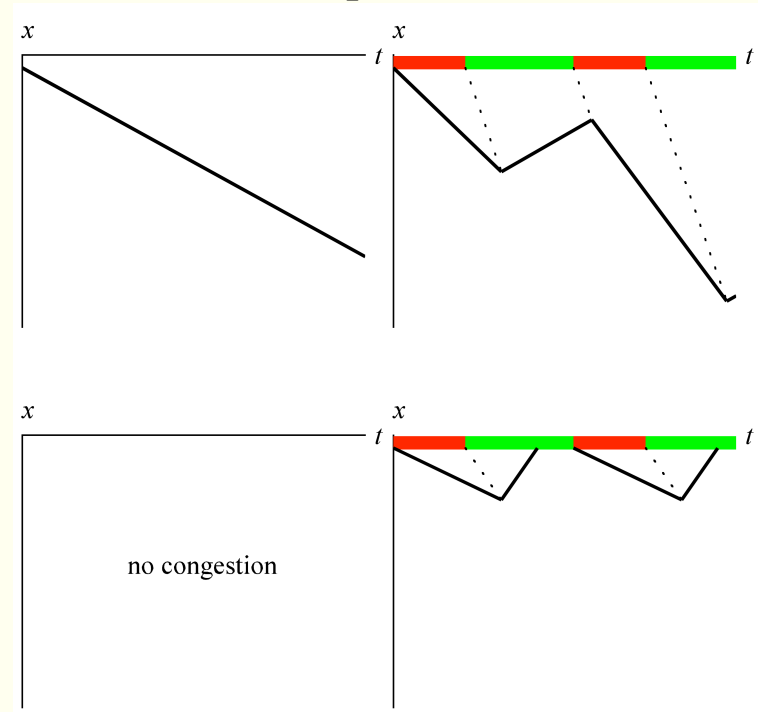


# Results



➤ simulated capacity over a fictive cycle length:  
relevant with the benchmark model

classical macroscopic      proposal



$$\Delta_2 > C(\Delta_1)$$

$$\Delta_2 \leq C(\Delta_1)$$

➤ simulated delays/  
queue lengths:  
relevant with the  
benchmark model

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

# CONCLUSIONS

Reference models  
free      cong.

Microscopic models  
free      cong.

Macroscopic models  
cong.      free

Conclusion

## Goals of this study

| Benchmark models             | Simulation tools                                 |  |
|------------------------------|--|--|
|                              | microscopic                                      | macroscopic  |
| free-flow:<br>gap-acceptance |  | average period of<br>block due to<br>stochastic arrivals |
| congested:<br>demand-supply  | release interactions:<br>car-following/insertion |  |



THANK YOU FOR YOUR ATTENTION!