

Séminaire d'algèbre, topologie et géométrie  
Jeudi 16 avril à 15h30  
Salle I

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*Different kinds of cyclic homology.*

Periodic cyclic homology is defined by taking the product-total complex of a certain bicomplex. For algebras over  $\mathbb{Q}$ , taking the sum-total complex of the same bicomplex gives 0. It has been suggested by Kontsevich some years ago that in char  $p$ , the sum-total complex is a non-trivial and interesting invariant. At the time, the suggestion was not pursued seriously; however, recently a very similar phenomenon appeared in the work of Beilinson and Bhatt on  $p$ -adic Hodge theory. I want to revisit the subject and follow through on Kontsevich's idea, both for algebras and DG algebras (where there are even more possibilities for interesting theories, five in total). I will also explain how this is related to the non-commutative Hodge-to-de Rham degeneration.